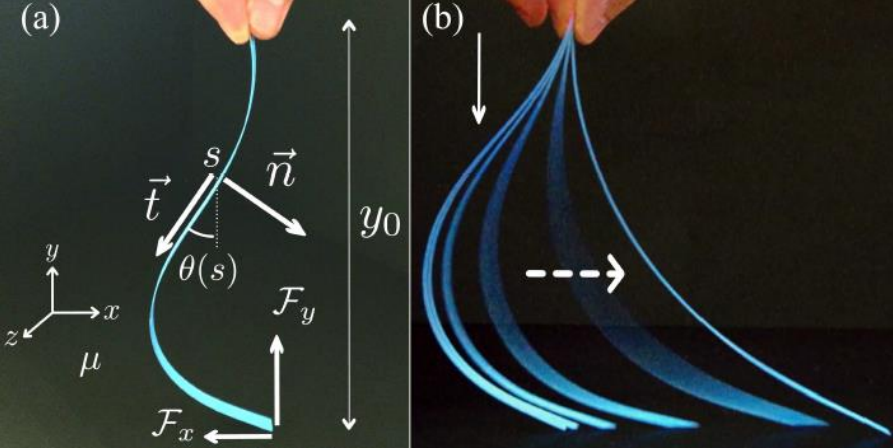


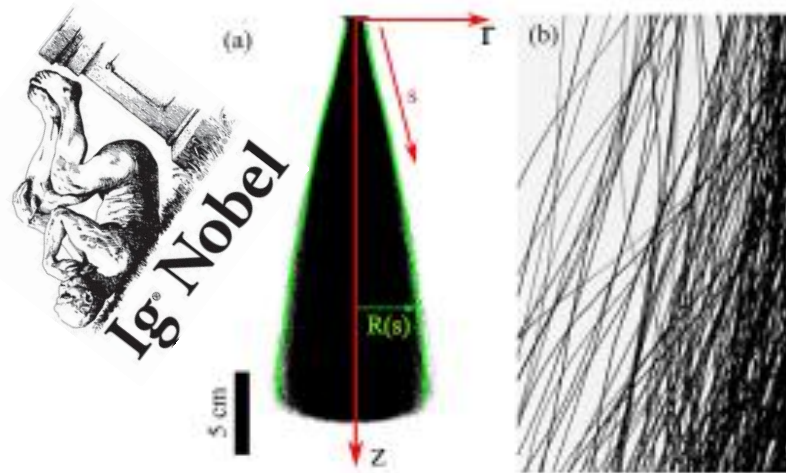


ELEPHANT ARTISTS

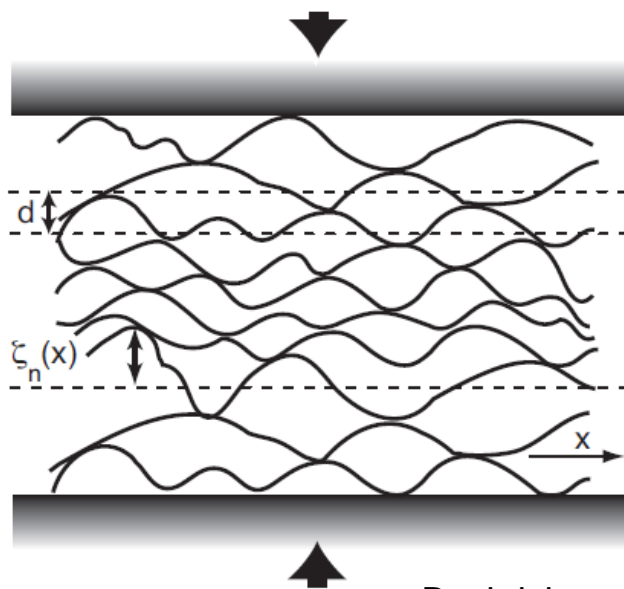




Sano, 2019



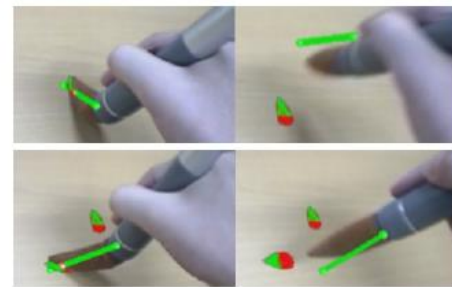
Goldstein, 2012



Beckrich, 2003



(a) Changing the shape.



(b) Rotating.

Otsuki, 2010

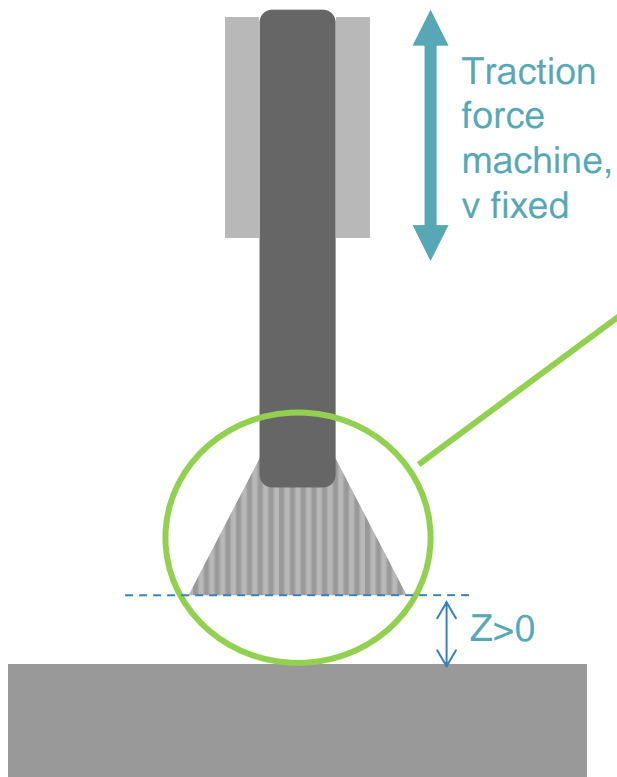


David, 2011

Compressing a fiber bundle against a rigid surface

Raphaëlle Taub – 2nd year PhD Student
Supervisors : Frédéric Restagno, Christophe Poulard
LPS Orsay

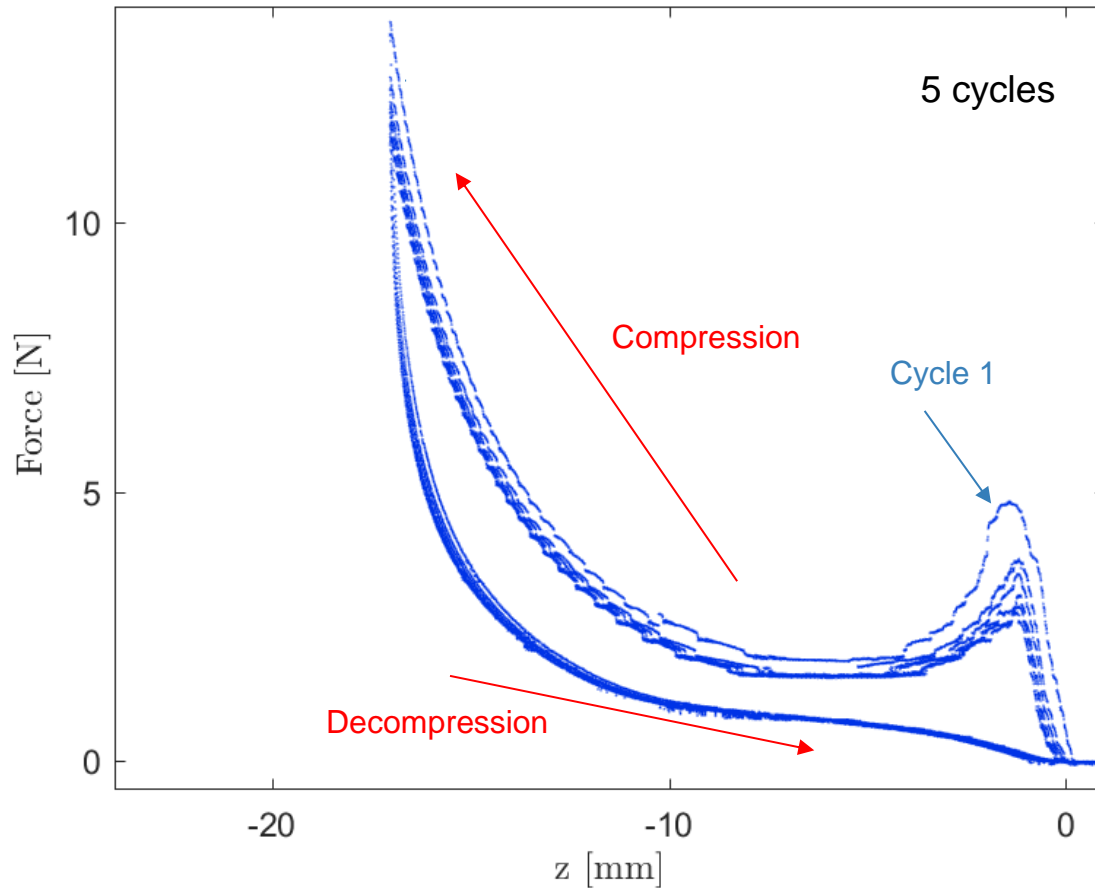
Setup



$v = 1 \text{ cm/mn}$
 N hairs (around 27000)

1 hair:
 d (diameter) : 80-60 microns
 L (length) : 3-5 centimeters
 E (young modulus) : 3-5 GPa

Variation of the force in the height z

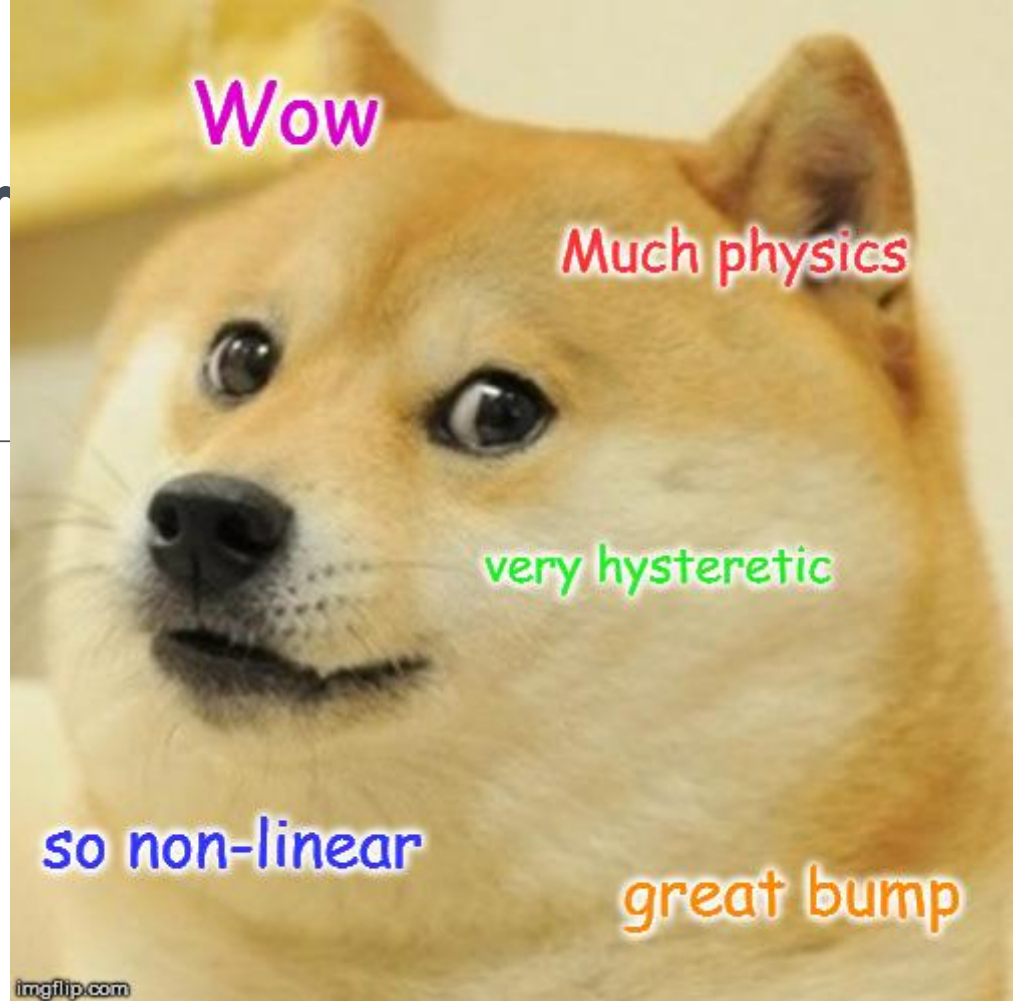
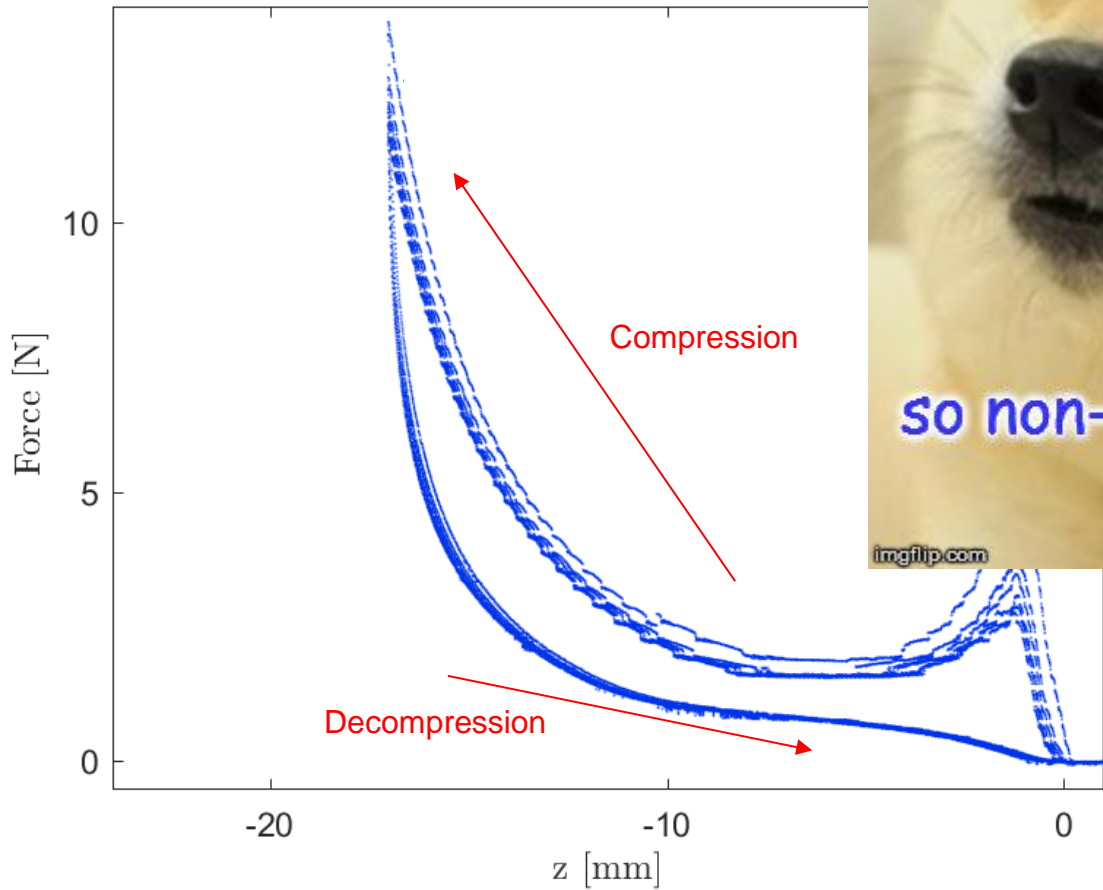


$$F(L, d, N, z, E, \mu)$$

length diameter number distance Young modulus friction coefficient

6 independent variables

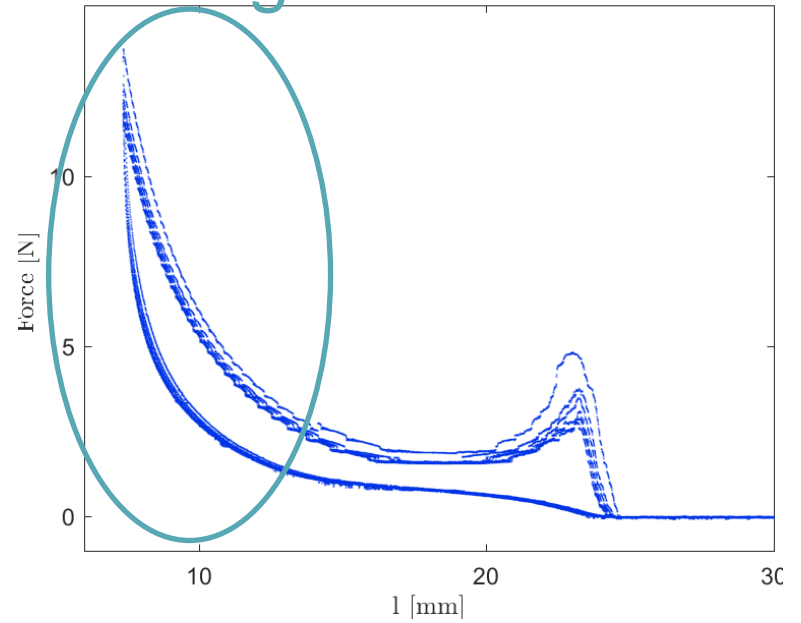
Variation of the force



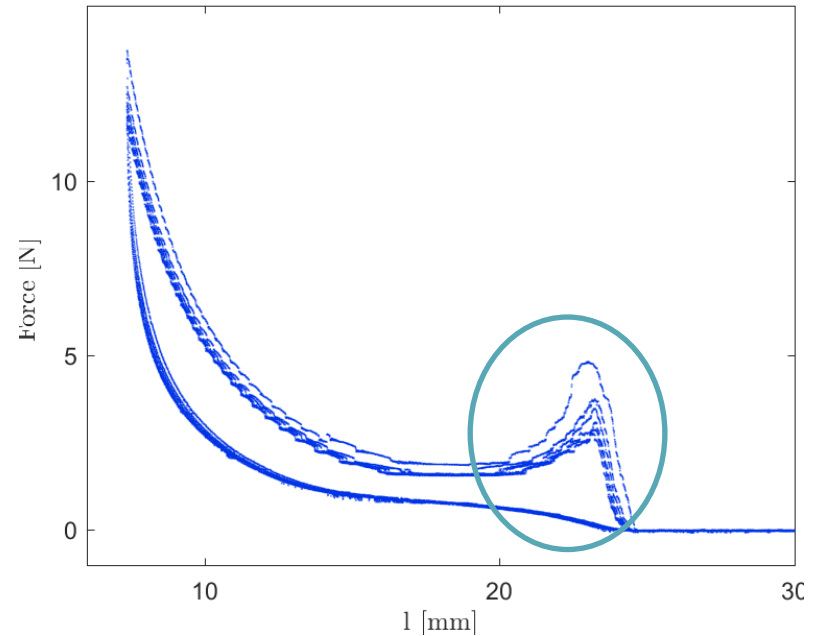
6 independent variables



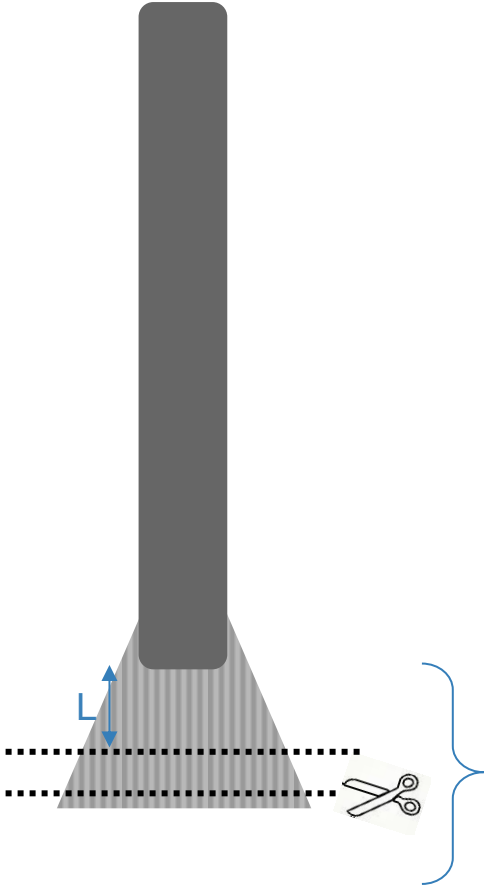
Big deformations



Small deformations

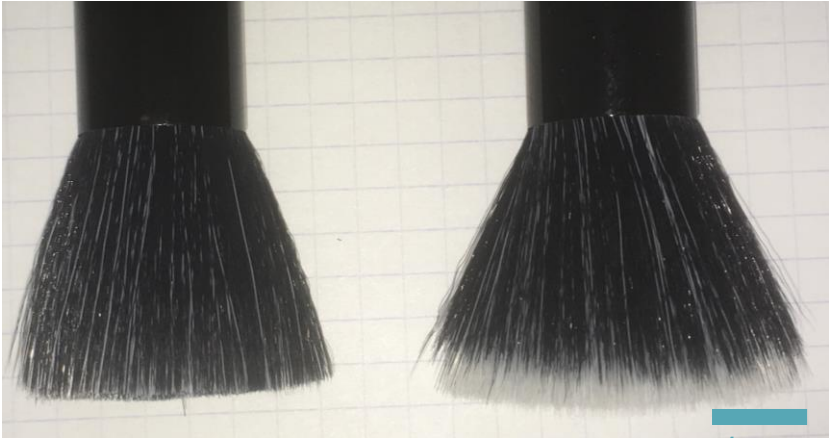


Compressing brushes and varying the fibers' length



Chopped brush

Original brush

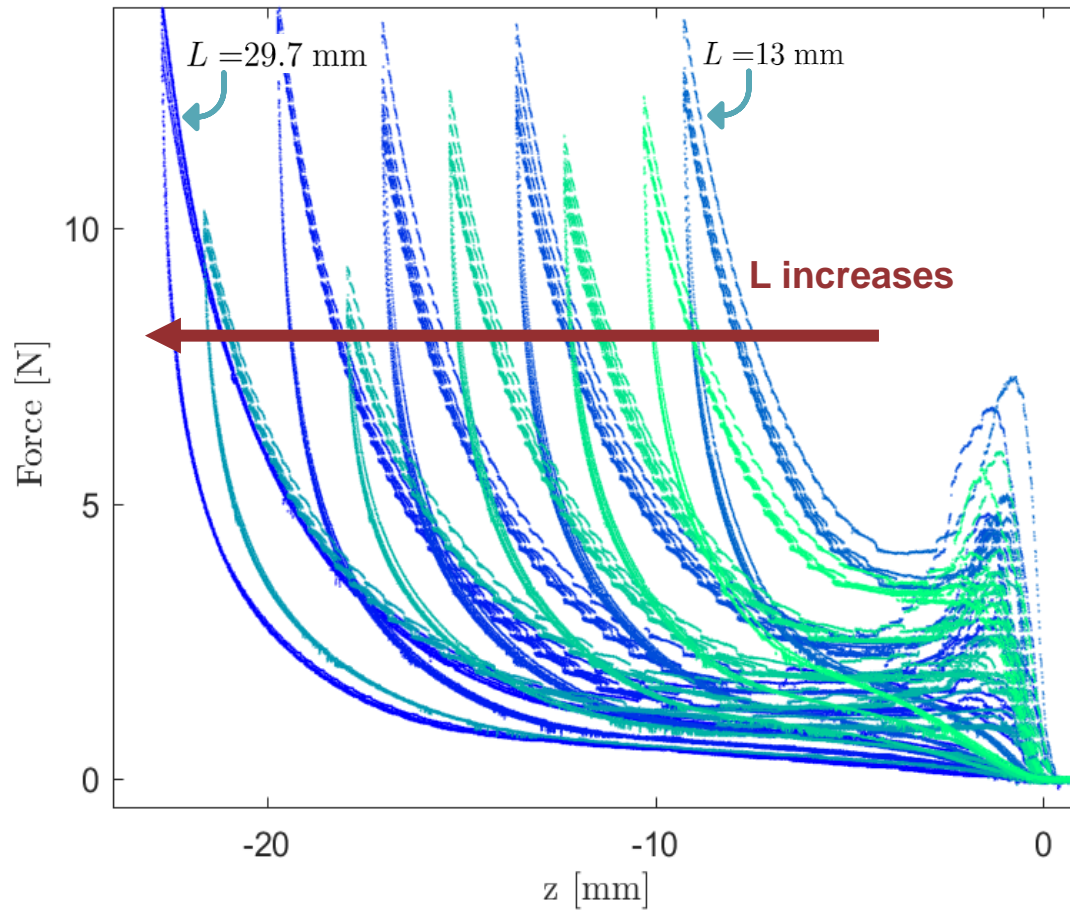


1 cm

11 cutting planes
2 brushes

L varying between
29,7mm and 13mm

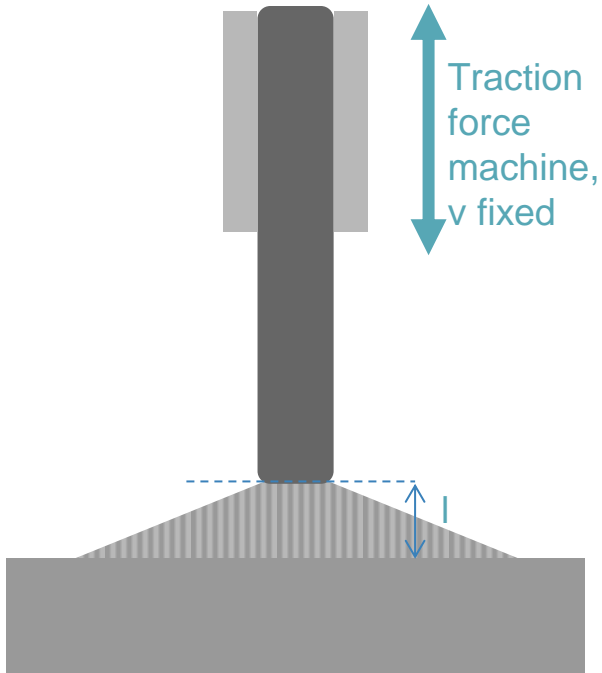
Compressing brushes and varying the fibers' length



L varying between 29,7mm and 13mm

New unit: crushing distance l

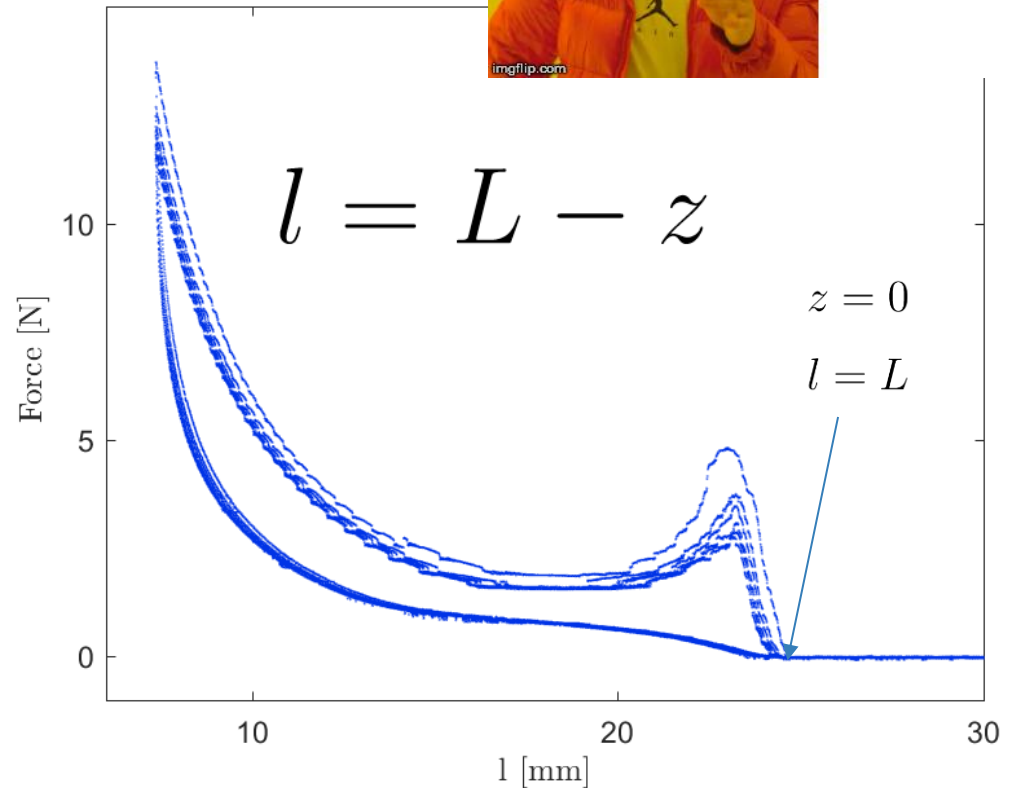
- Force F only depends on l



One notation for one coordinate



Two notations for one coordinate so no one understands



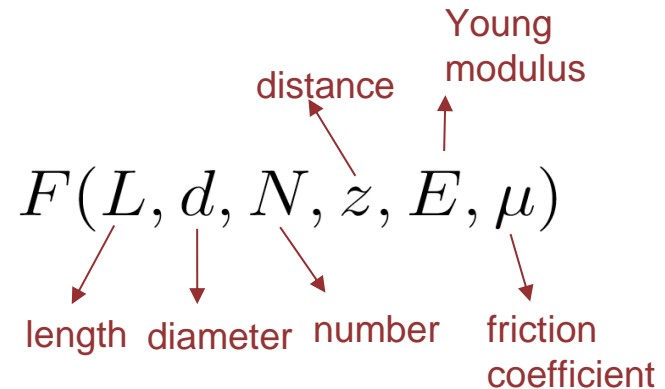
Scaling law model for the force

- With : $E = 3 - 5 \text{ GPa}$

$$I = 2.9 \cdot 10^{-18} \text{ m}^4$$

$$I = \frac{\pi d^4}{64}$$

$$l = L - z$$

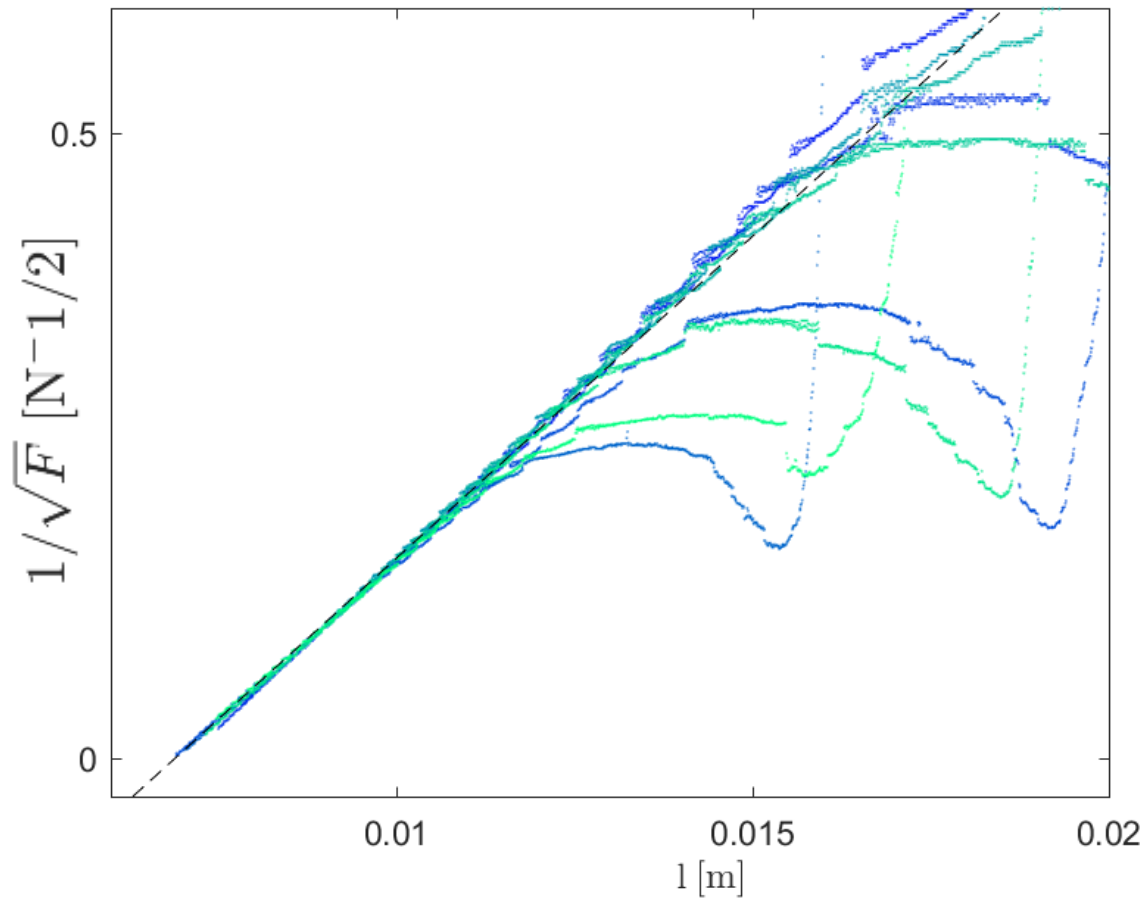


$$F(l, \cancel{L}, I, N, E, \mu)$$

Scaling law for F

$$F \propto \frac{EI}{l^2}$$

Compressing brushes and varying the fibers' length

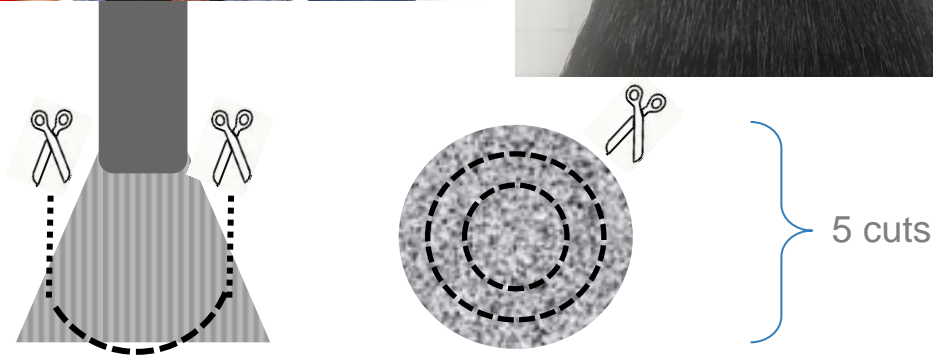
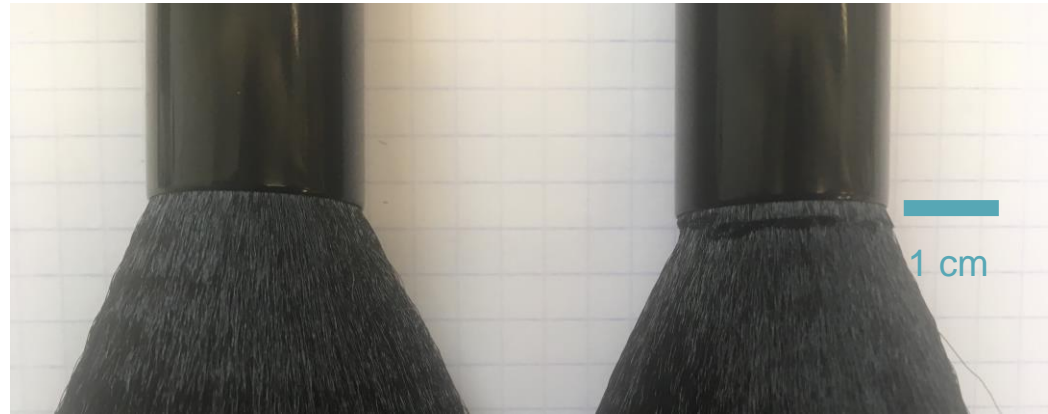


- Mastercurve for every fibers' length

$$F \propto \frac{EI}{l^2}$$

Compressing brushes and varying the number of fibers

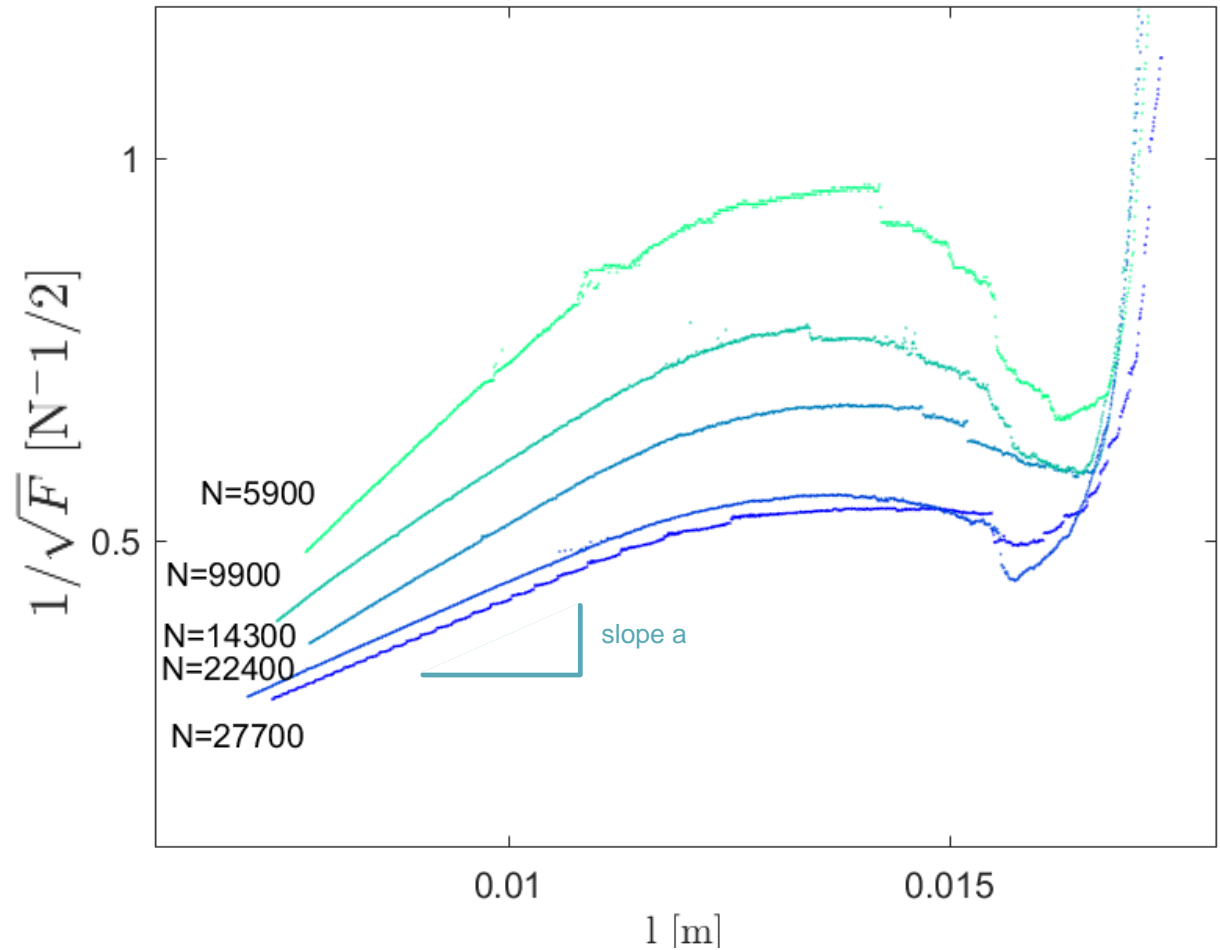
$$F(l, I, N, E, \mu)$$



N varying between
27 700 and 5800 fibers

Compressing brushes and varying the number of fibers

$$F = a \frac{EI}{l^2}$$



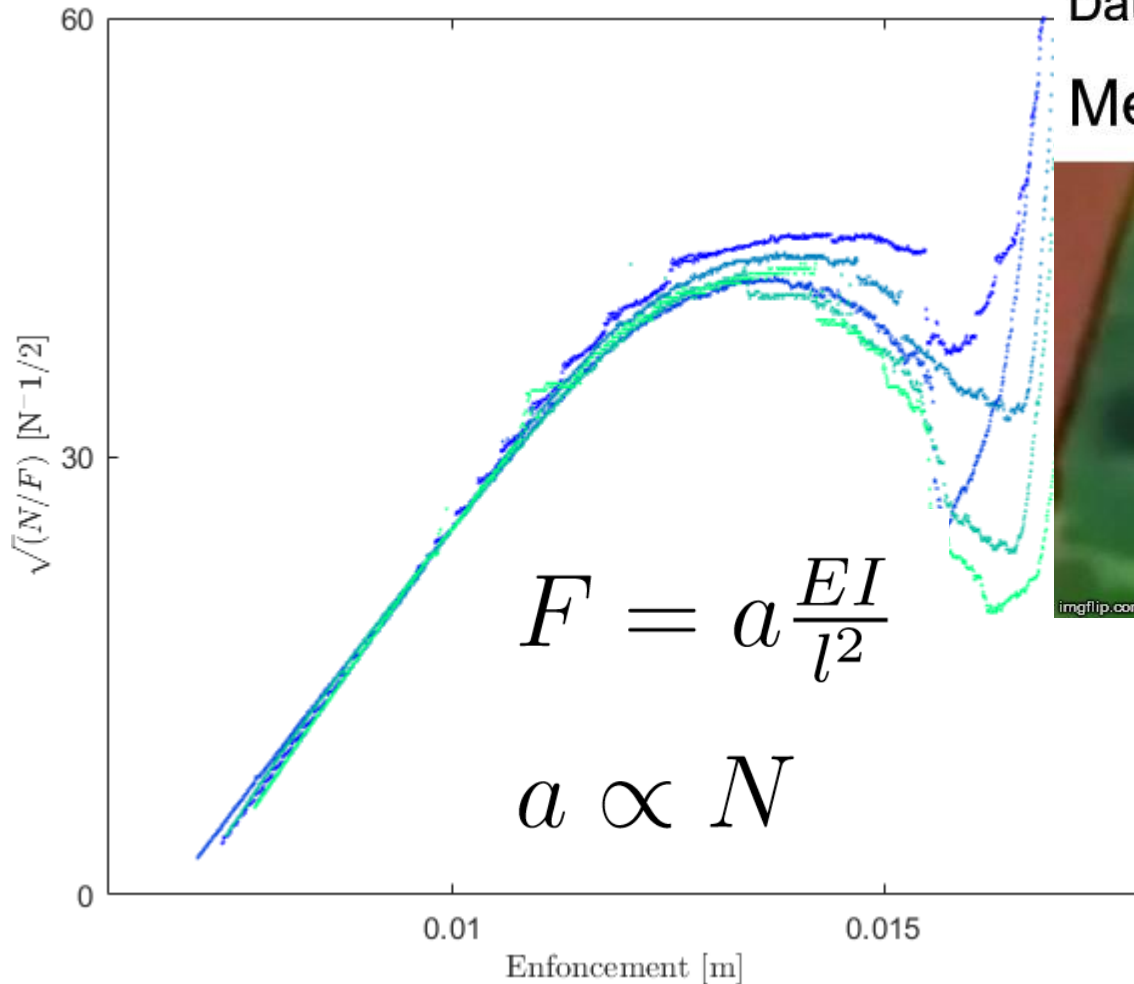
Compressing brushes and varying the number of fibers



Me: try a new scaling

Data: *collapse to a mastercurve*

Me:



l [m]

Types of brushes



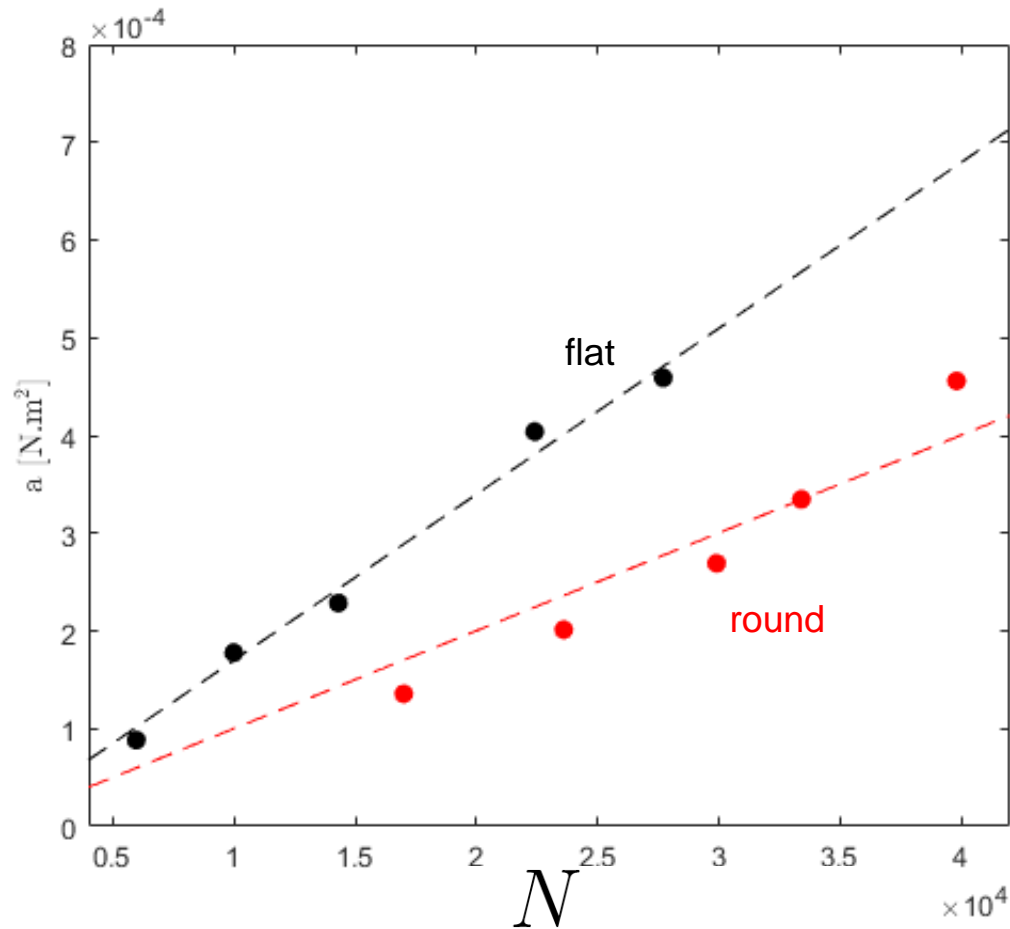
using
one brush



using
two brushes



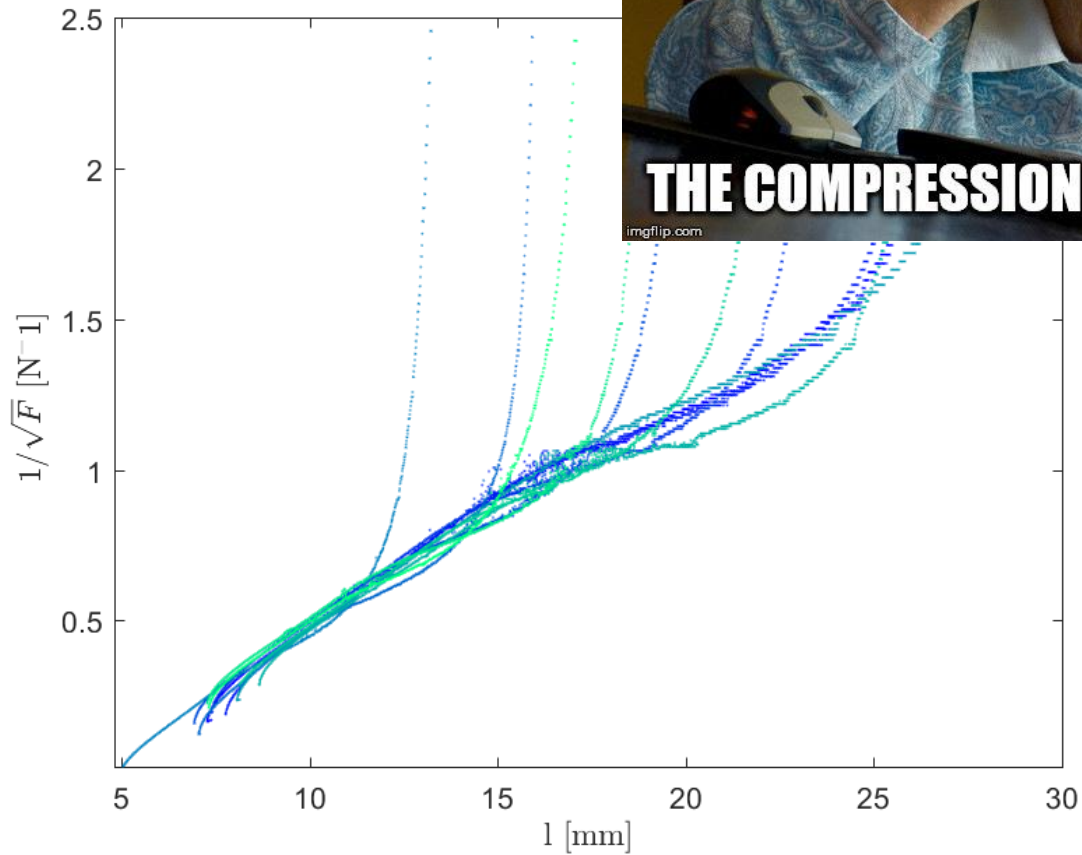
Slope for different number of fibers – round brush



$$a \propto N$$

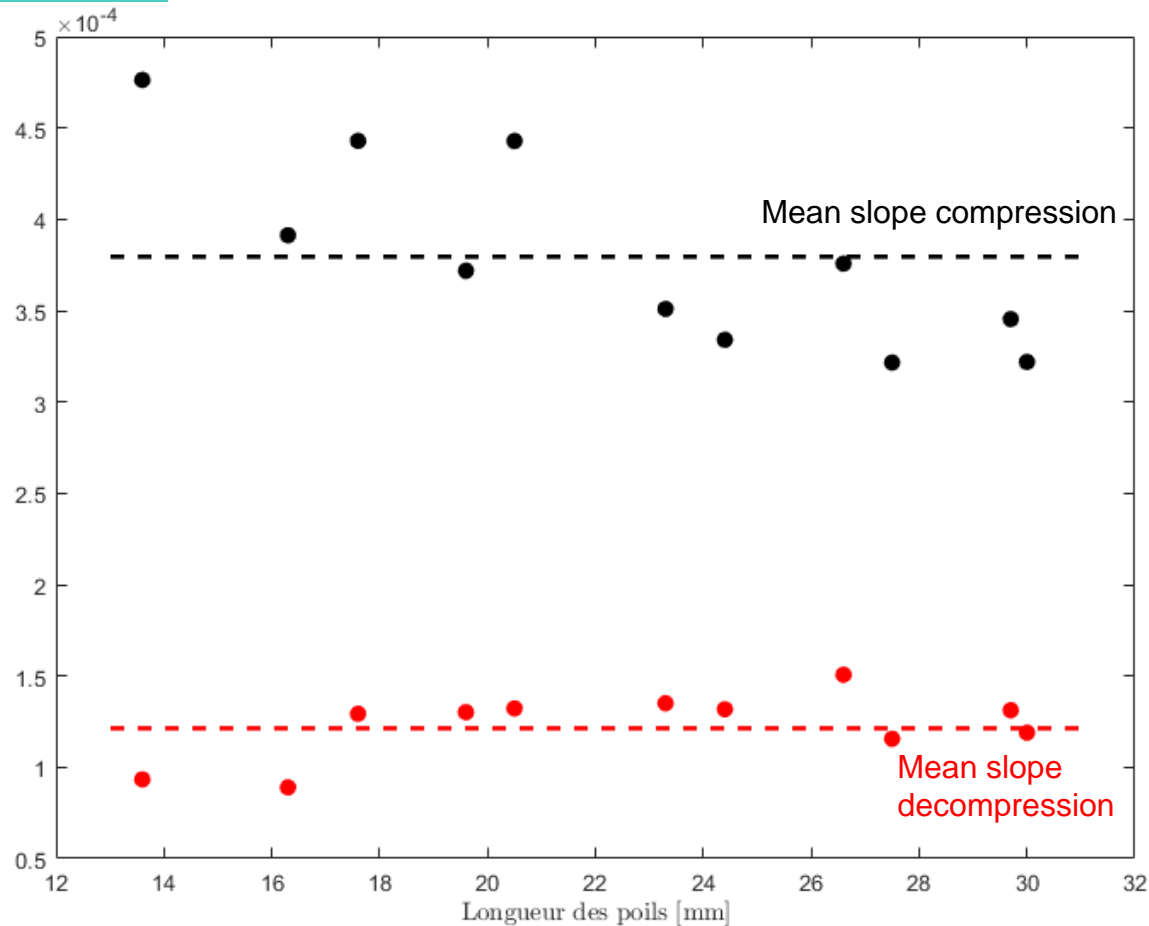
It works for both of our brushes, with different coefficients

Return - decompression



- Mastercurve for every fibers' length

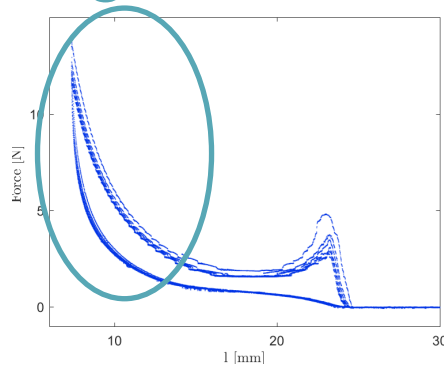
Comparison compression and decompression



- Different prefactor for traction and compression

Conclusion

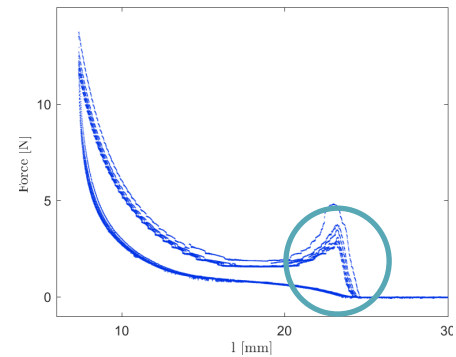
Big deformations



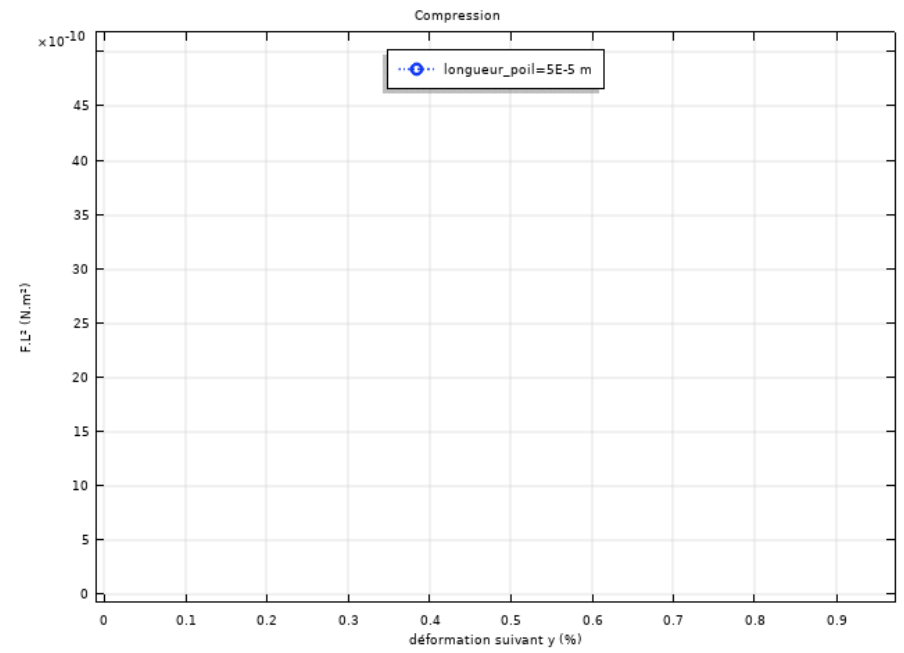
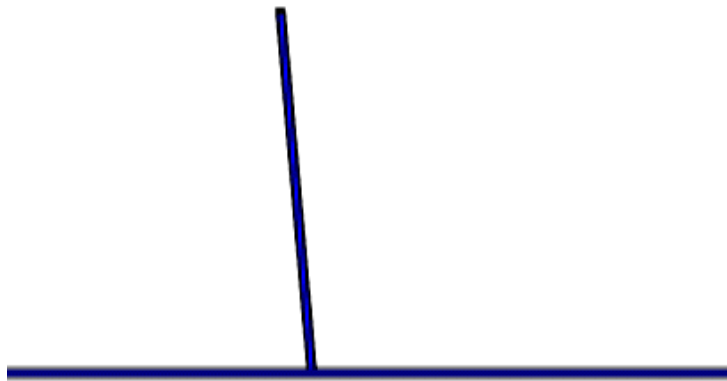
$$F = kN \frac{EI}{l^2}$$

- k is different for compression and decompression
- k does not depend on L

Small deformations



- Bump at constant ϵ
- But different from single hair experiments

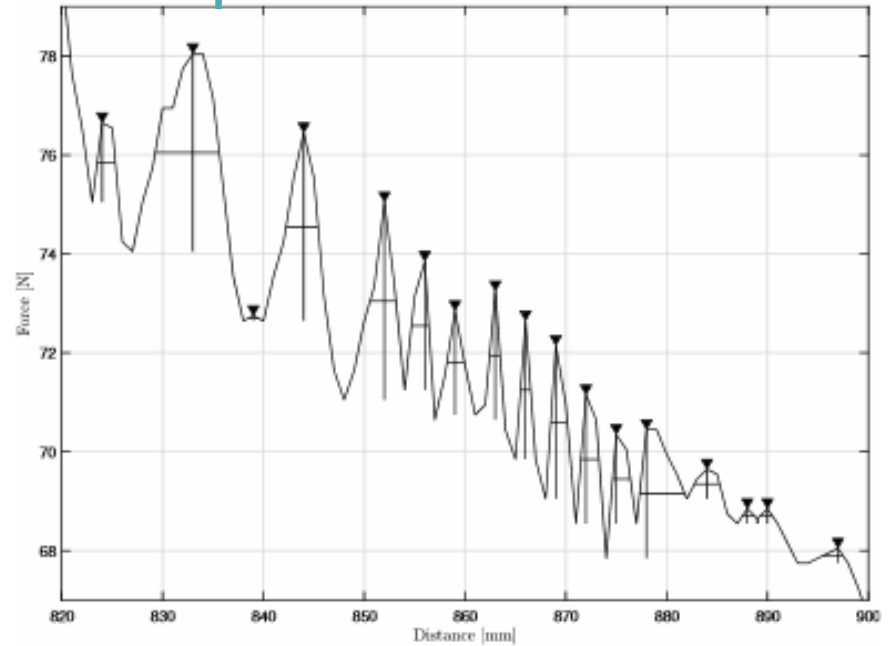


Perspectives

- Interleaving two brushes



- Statistics of the force-displacement curves

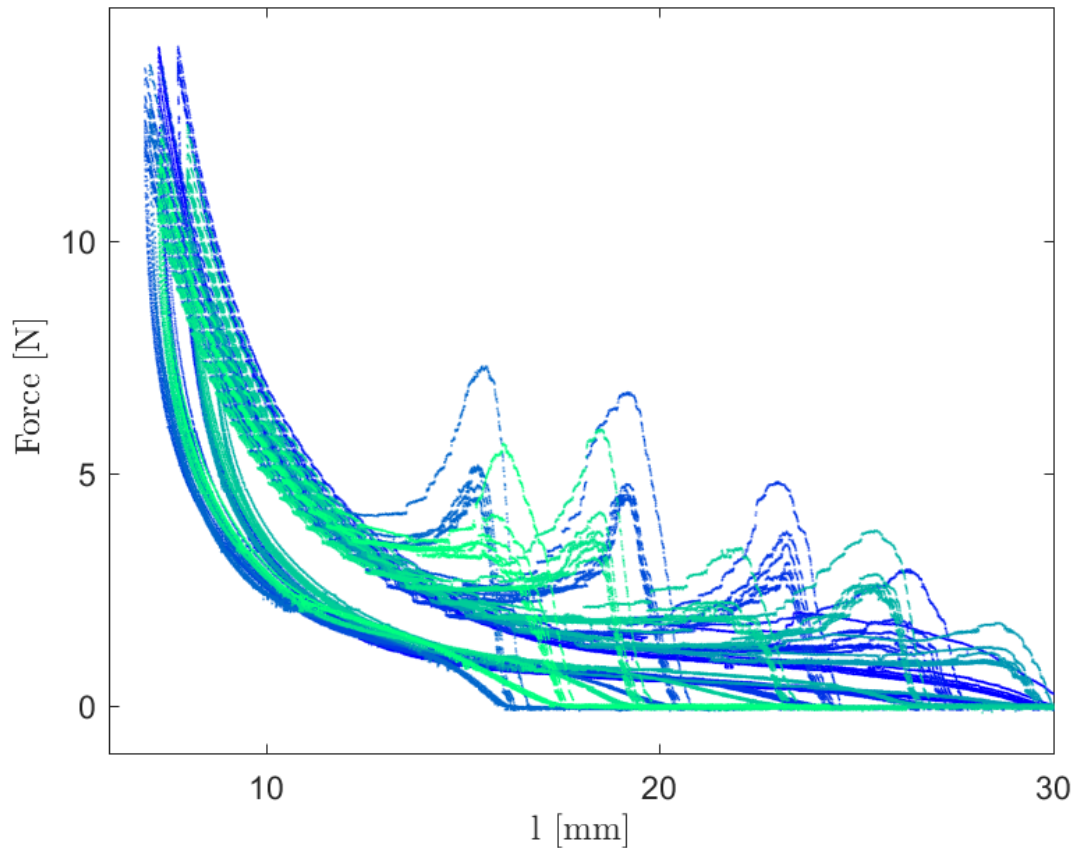


Thanks!

Any questions?

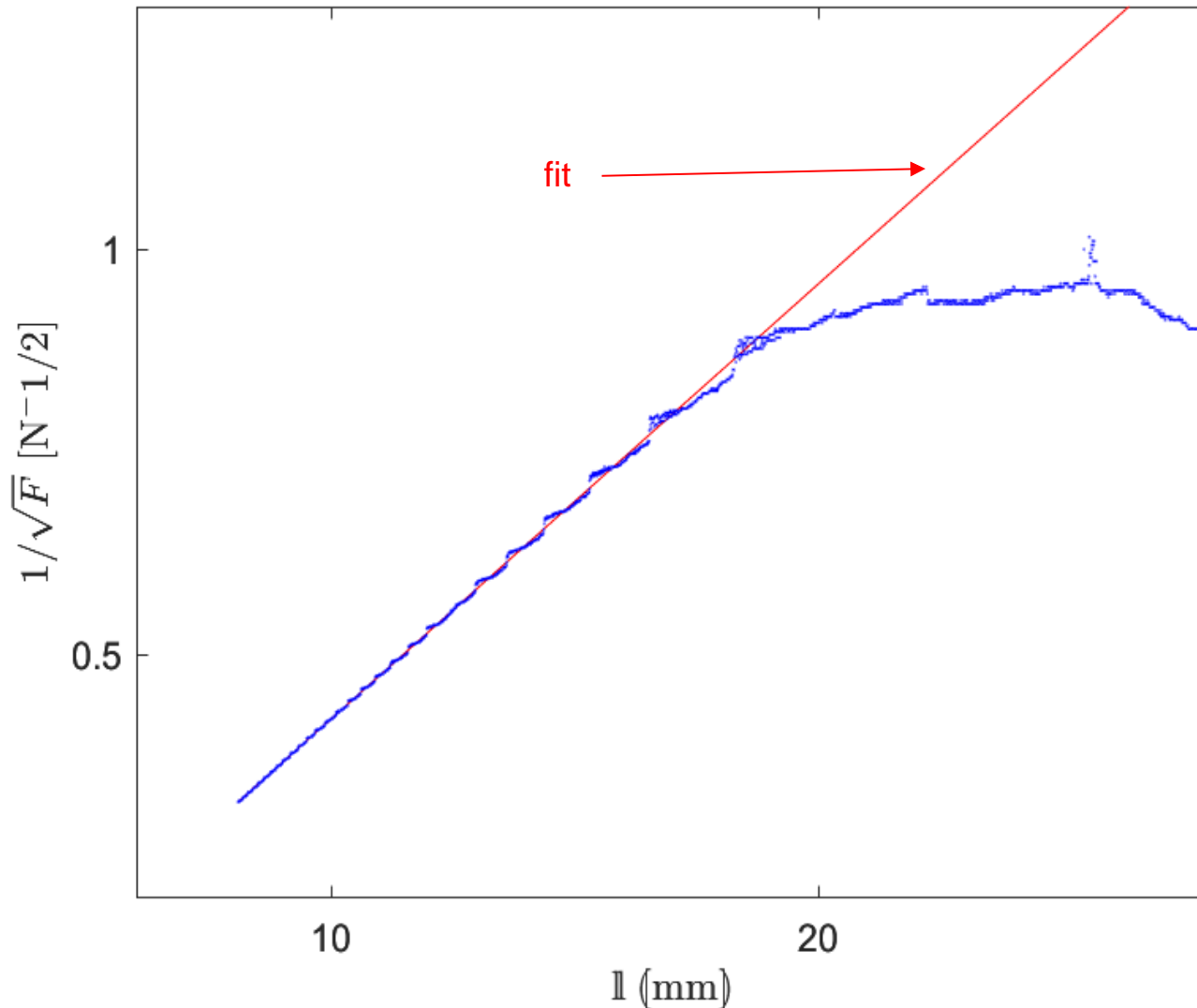
Raphaëlle Taub
PhD Student – Université Paris Sud
raphaëlle.taub@u-psud.fr

Compressing brushes and varying the fibers' length



- No dependency in the fibers' lengths

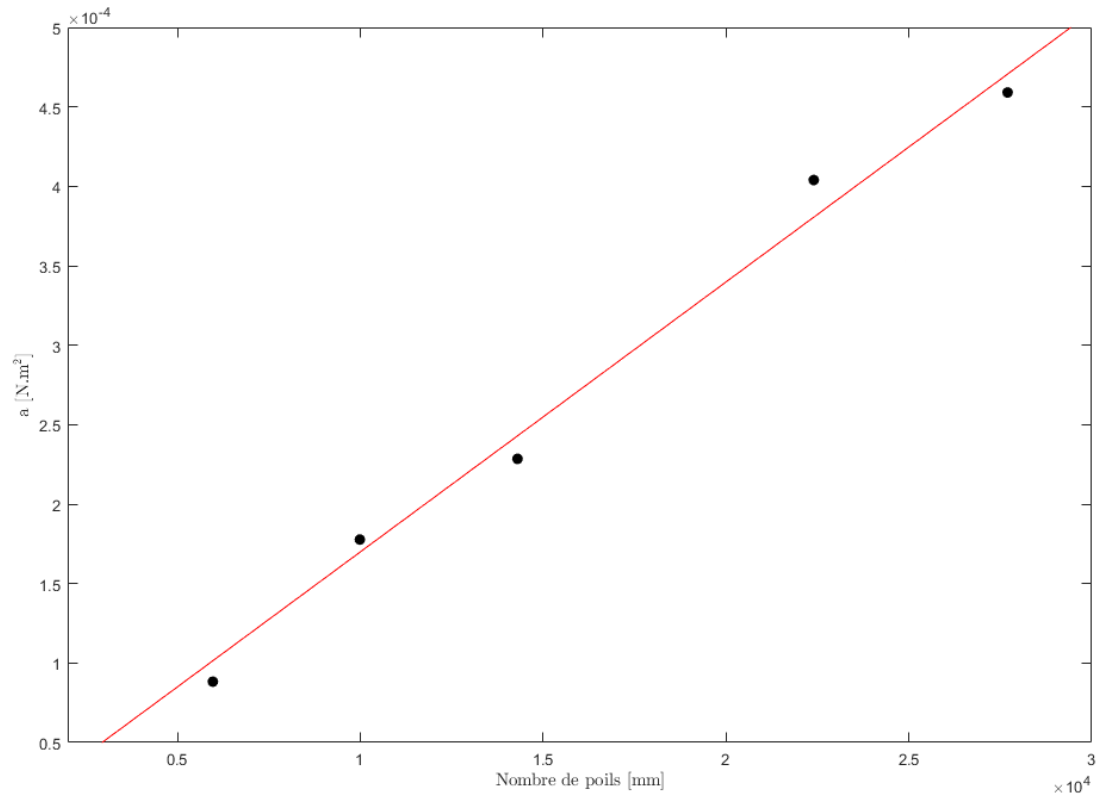
Compression du pinceau – fit



- La force ne dépend que de l'enfoncement

$$F = \frac{EI}{l^2}$$

Slope for different number of fibers – flat brush



$$a \propto N$$

Figure récapitulative sur les pentes et préfacteurs

$$F = kN \frac{EI}{l^2}$$

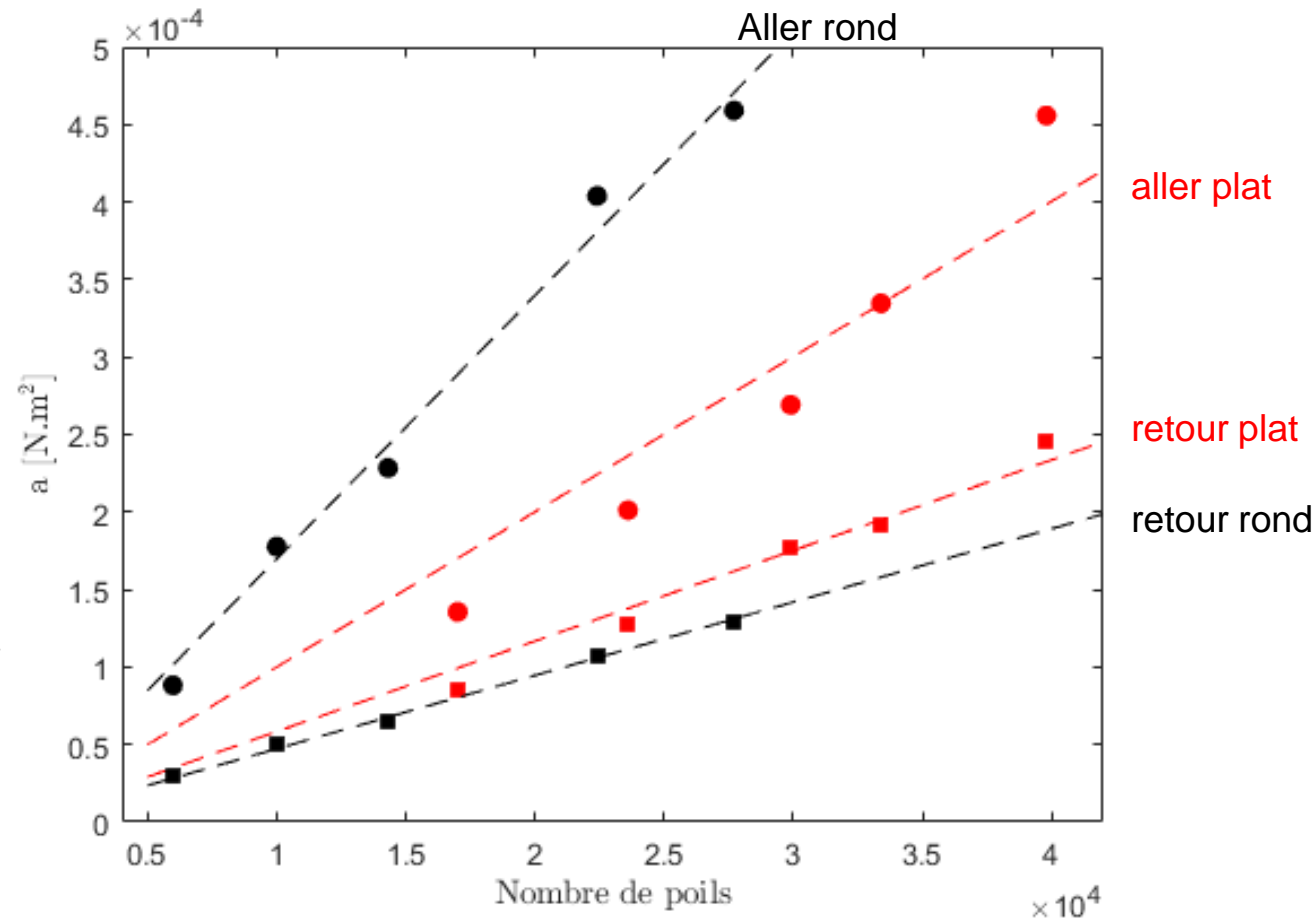
$$a = kNEI$$

Aller rond : $kEI = 1.001 \cdot 10^{-8}$
 Retour rond : $kEI = 5.841 \cdot 10^{-9}$
 Aller plat : $kEI = 1.699 \cdot 10^{-8}$
 Retour plat : $kEI = 4.73 \cdot 10^{-9}$

Pinceau rond
 $I = 2.9 \cdot 10^{-18} \text{ m}^4$

Pinceau plat

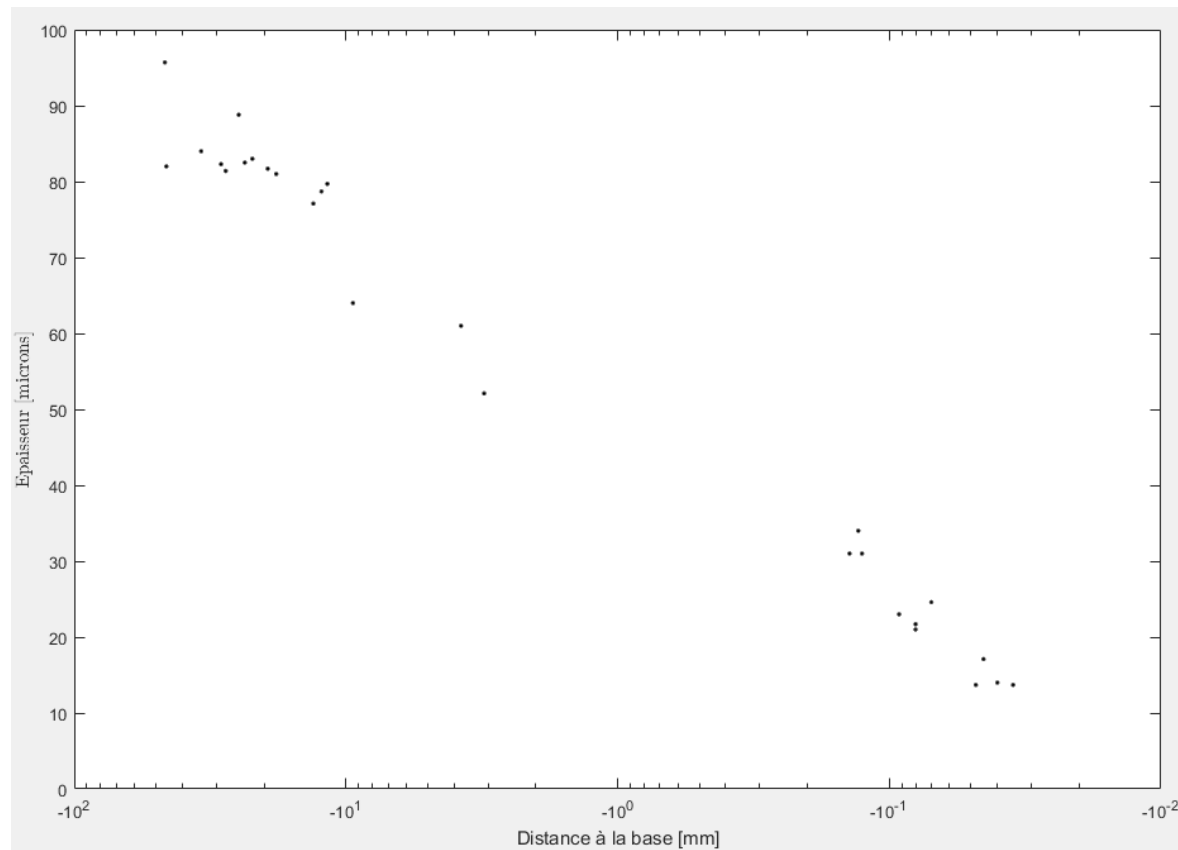
$I = 2.44 \cdot 10^{-18} \text{ m}^4$



Caractéristiques des poils

- Diamètre varie le long du poil,
- Module d'Young : 3 à 5 GPa pour des poils en polyamide,
- Longueur : 2 à 5 cm
- Nombre de poils : 27700 (mesure pesée) à 37600 (mesure géométrique)

Diamètre d'un poil en fonction de la distance à la base



Questions en suspens

$$F = kN \frac{EI}{l^2}$$

- Pourquoi le préfacteur k est différent à l'aller et au retour ? Est-ce qu'il est possible d'avoir une prédiction théorique pour k (il est proche de 1 à l'aller) ?
- Est-ce qu'il est possible d'avoir un modèle qui fitte mieux les données des très grandes déformations, et qui explique donc l'hystérésis ?
- D'où vient le décalage sur le snap entre les expériences à poil unique et les expériences avec les pinceaux ?